Thomas Funkhouser 2000

3D Modeling I

CG08b Lior Shapira Lecture 8



Based on:

Thomas Funkhouser, Princeton University

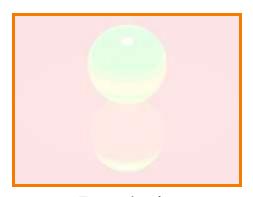
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Course Syllabus

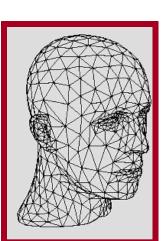
- I. Image processing
- II. Rendering
- III. Modeling
- IV. Animation



Image Processing (Rusty Coleman, CS426, Fall99)



Rendering
(Michael Bostock, CS426, Fall99)

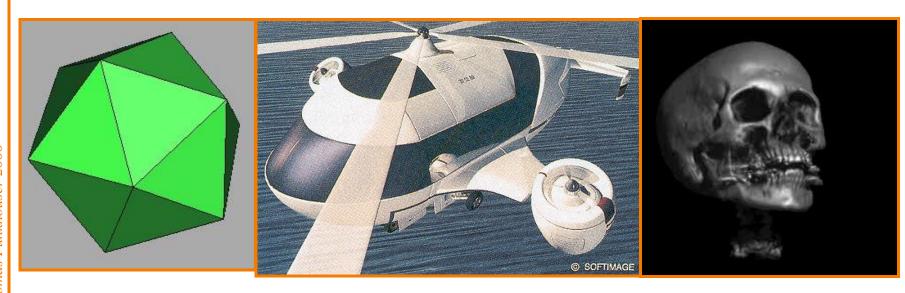




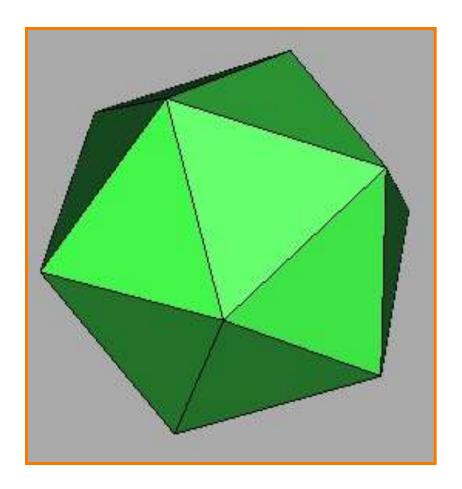
Modeling
(Dennis Zorin, CalTech)

Modeling

- How do we ...
 - Represent 3D objects in a computer?
 - Acquire computer representations of 3D objects?
 - Manipulate computer representations of 3D objects?

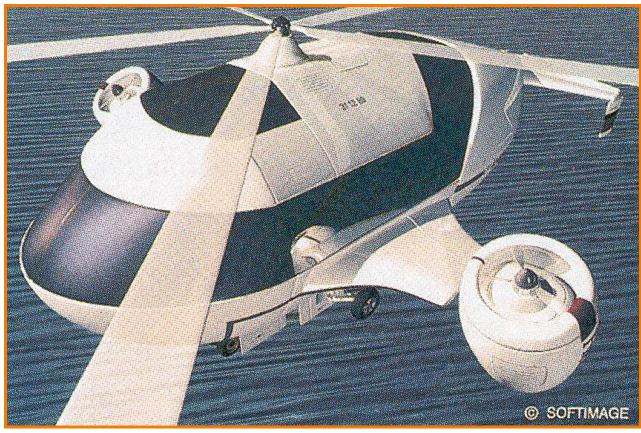


3D Objects



How can this object be represented in a computer?

3D Objects



H&B Figure 10.46

This one?

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3D Objects

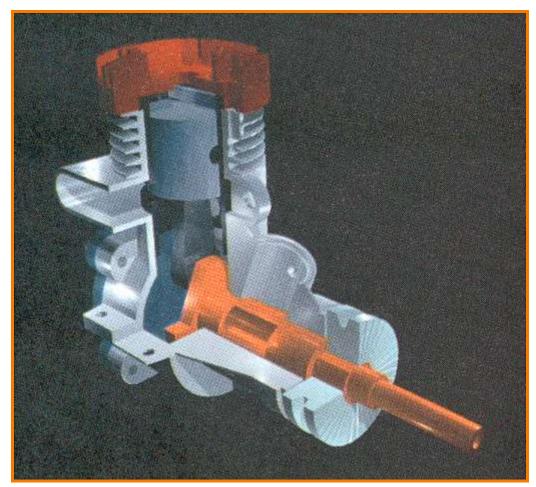


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How about this one?

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3D Objects



H&B Figure 9.9

This one?

This one?

3D

3D Object Representations

- Points
 - Point cloud
 - Range image
- Surfaces
 - Polygonal Mesh
 - Subdivision
 - Parametric
 - Implicit

- Solids
 - Voxels
 - BSP tree
 - CSG
 - Sweep

- High-level structures
 - Scene graph
 - Application specific

Equivalence of Representations

Thesis:

- Each representation has enough expressive power to model the shape of any geometric object
- It is possible to perform all geometric operations with any fundamental representation
- Analogous to Turing-equivalence
 - Computers / programming languages Turingequivalent. But each does different things better!

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Why different Representations?

- Efficiency for different tasks
 - Acquisition
 - Rendering
 - Manipulation
 - Animation
 - Analysis

Data Structures determine algorithms!

Modeling Operations

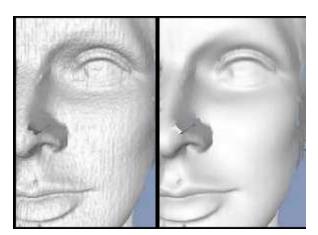
- What can we do with a 3D object representation?
 - Edit
 - Transform
 - Smooth
 - Render
 - Animate
 - Morph
 - Compress
 - Transmit
 - Analyze
 - o ...



Digital Michealangelo



Pirates of the carribean



Smoothing

3D Object Representations

- Desirable properties depend on intended use
 - Easy to acquire
 - Accurate
 - Concise
 - Intuitive editing
 - Efficient editing
 - Efficient display
 - Efficient intersections
 - Guaranteed validity
 - Guaranteed smoothness
 - 0 ...

Outline

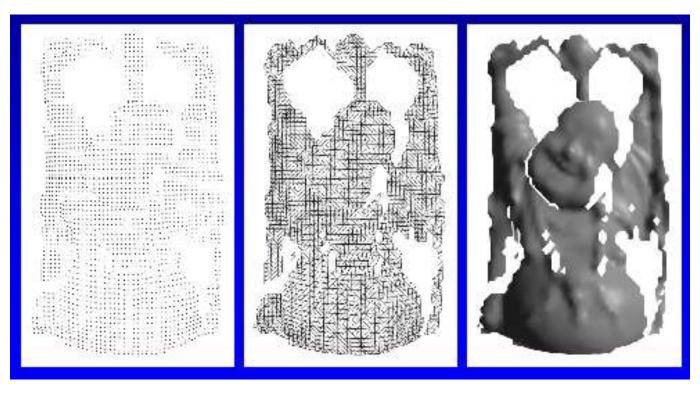
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Range Image

- Set of 3D points mapping to pixels of depth image
 - Acquired from range scanner



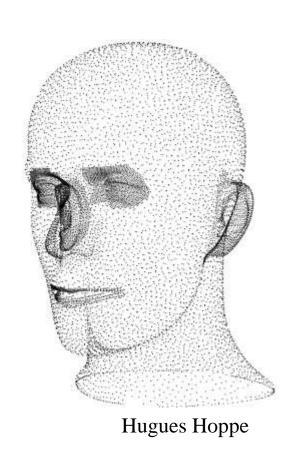
Range Image

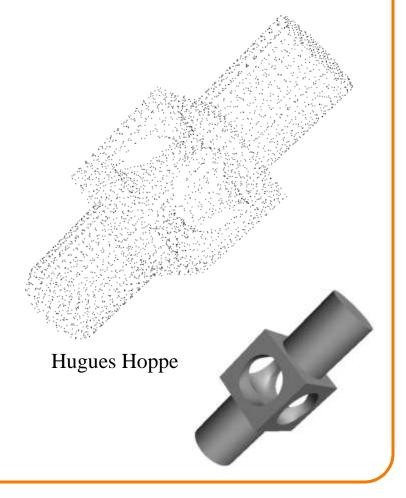
Tesselation

Range Surface

Point Cloud

- Unstructured set of 3D point samples
 - Acquired from range finder, computer vision, etc





Outline

- Points
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 - Implicit

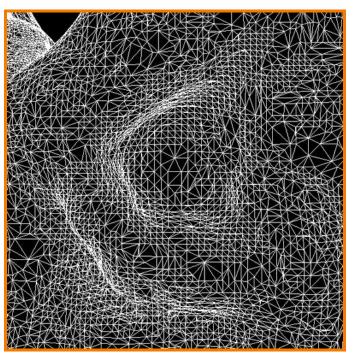
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Polygonal Mesh

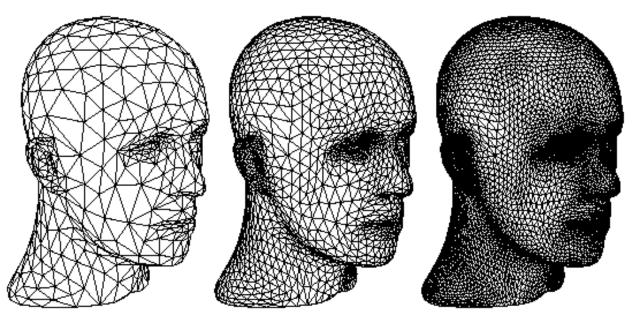
Connected set of polygons (usually triangles)





Subdivision Surface

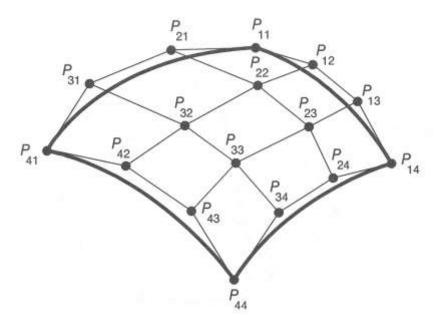
- Coarse mesh & subdivision rule
 - Define smooth surface as limit of sequence of refinements



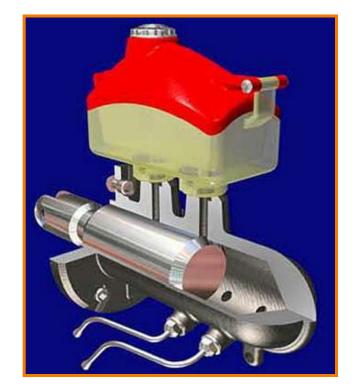
Zorin & Schroeder SIGGRAPH 99 Course Notes

Parametric Surface

- Tensor product spline patchs
 - Each patch is a parametric function
 - Careful constraints to maintain continuity



FvDFH Figure 11.44



Implicit Surface

• Points satisfying: F(x,y,z) = 0



Polygonal Model



Implicit Model

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Outline

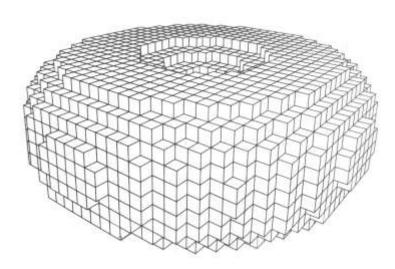
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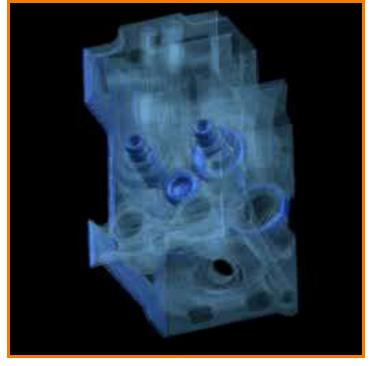
- High-level structures
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Voxels

- Uniform grid of volumetric samples
 - Acquired from CAT, MRI, etc.



FvDFH Figure 12.20

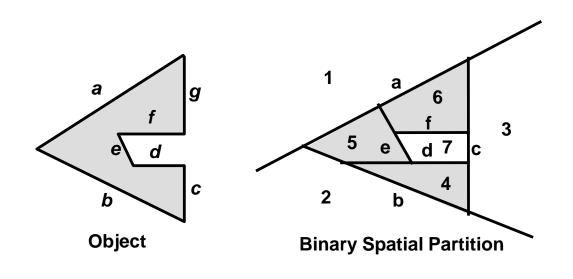


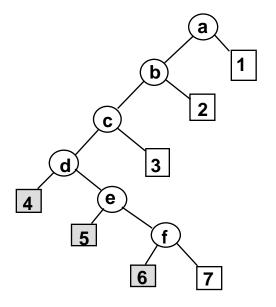
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BSP Tree

- Binary space partition with solid cells labeled
 - Constructed from polygonal representations





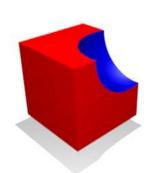
Binary Tree

CSG (constructive solid geometry)

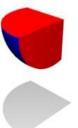
 Hierarchy of boolean set operations (union, difference, intersect) applied to simple shapes

Boolean difference

Boolean union

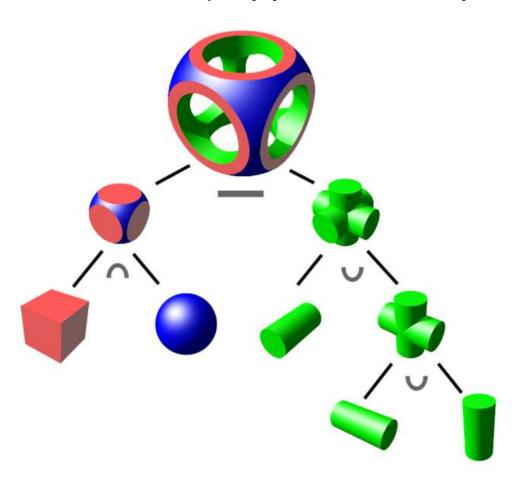


Boolean intersection



CSG (constructive solid geometry)

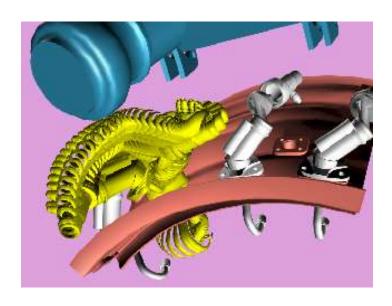
 Hierarchy of boolean set operations (union, difference, intersect) applied to simple shapes



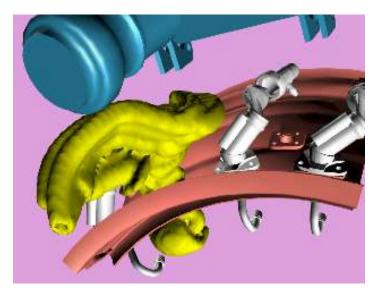
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Sweep

Solid swept by curve along trajectory



Removal Path



Sweep Model

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Scene Graph

Union of objects at leaf nodes

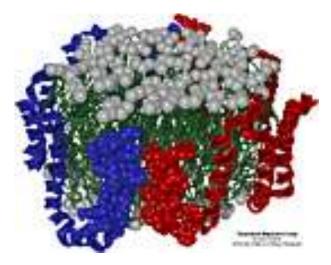


Bell Laboratories

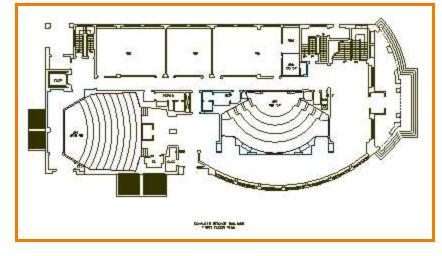


avalon.viewpoint.com

Application Specific



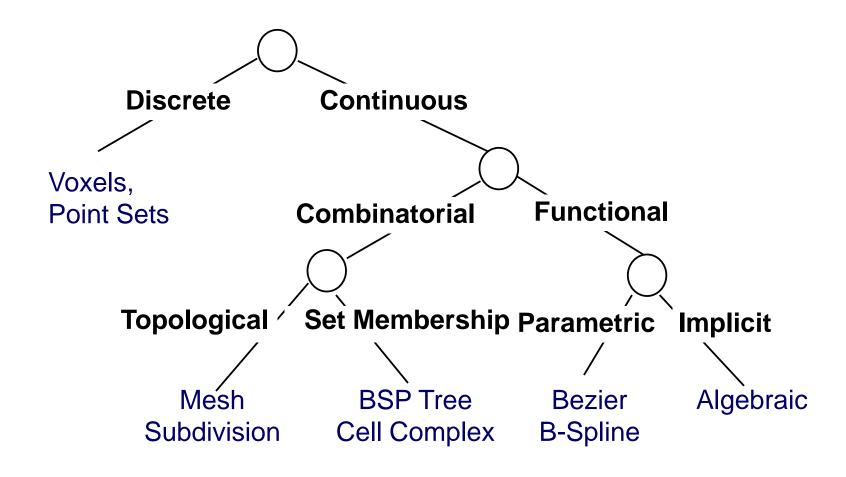
Apo A-1
(Theoretical Biophysics Group,
University of Illinois at Urbana-Champaign)



Architectural Floorplan

(CS Building, Princeton University)

Taxonomy of 3D Representations



Equivalence of Representations

Thesis:

- Each representation has enough expressive power to model the shape of any geometric object
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Computational Differences

Efficiency

- Combinatorial complexity (e.g. O(n log n))
- Space/time trade-offs (e.g. z-buffer)
- Numerical accuracy/stability (degree of polynomial)

Simplicity

- Ease of acquisition
- Hardware acceleration
- Software creation and maintenance

Usability

Designer interface vs. computational engine